Junction photodiodes









Junction photodiodes VI-characteristics



Junction photodiodes IV-characteristics



Junction photodiodes Response time

1. Drift time through the depletion region

At $\mathcal{E} > 10^4$ V/cm carrier drift velocity saturates. $\mathcal{U}_s = 10^7$ $\mathcal{U}_{dr}, \text{ cm/s}$ The response time is $t_{tr} = \frac{\mathcal{L}(V)}{\mathcal{U}_S}$ The response time is $t_{tr} = \frac{\mathcal{L}(V)}{\mathcal{U}_S}$ $\mathcal{L}(V) = \left(\frac{\varepsilon \cdot q \cdot (|V_{bi}| + |V|)}{2\pi \cdot q^2} \cdot \frac{N_D + N_A}{N_D \cdot N_A}\right)^{1/2},$ 2. <u>RC-time</u> $t_{RC} = RC$; $C = \frac{\varepsilon}{4\pi} \cdot \frac{S}{\mathcal{L}(V)}$ S - p-n junction cross-section $\tau_{RC} \approx 30 - 40 \text{ ps}$ 3. <u>Time of the carrier diffusion to the depletion region</u>



p-i-n (PIN) photodiodes



For PIN photodiodes the length of the region with strong electric field is increased. Thus the photocurrent is increased and response time is reduced because the contributions of the diffusion currents in n+ and p+ regions are small.

p-i-n (PIN) photodiodes Design

Etched mesa PIN photodiodes for top (A) and back (B) illumination



Typical parameters diameter: 0.5 - 1mm; response time: 20ps; dark current: pA-nA

p-i-n (PIN) photodiodes Noise in PIN photodiode

1. <u>Shot noise (generation – recombination noise)</u>

$$\left< i_{\rm S}^2 \right> = 2q \cdot B \cdot \left(I_{\rm ph} + I_{\rm B} + I_{\rm D} \right)$$

$$I_{ph} = \frac{q \cdot \eta \cdot P_{v0}}{hv} - photocurrent:$$

$$I_D - dark current, I_B - background$$
radiation current, *B* - device bandwidth

2. Johnson (resistance) noise

$$\left\langle i_{J}^{2} \right\rangle = \frac{4 \cdot k_{B} \cdot T \cdot \mathcal{B}}{R_{eq}}$$

$$R_{eq}^{-1} = R_D^{-1} + R_L^{-1} + R_i^{-1}$$

where R_D^{-1} , R_L^{-1} , R_i^{-1} are diode shunt resistance (junction resistance ~ 100M Ω), external load resistance (usually 50 Ω) and amplifier input resistance. \mathcal{B} – bandwidth.

Signal to Noise Ration (SNR)

$$\left(\frac{S}{N}\right)_{power} = \frac{q \cdot \eta \cdot P_{v0}}{2q \cdot (I_{ph} + I_B + I_D) + \frac{4k_B \cdot T \cdot \mathcal{B}}{R_{eq}}}$$

Avalanche photodiodes (APD)



Avalanche photodiodes (APD) Impact ionization in strong electric field



$$E_{e}(1) - E_{e}(1') = E_{e}(2') + E_{h}(2) + E_{g}$$

$$\vec{k}(1) - \vec{k}(1') = \vec{k}(2') - \vec{k}(2)$$

Avalanche photodiodes (APD) Multiplication



Multiplication factors for e or h: $M_{e,h}$

$$M_{e,h} = \frac{J_{e0,h\mathcal{L}}}{J_{e\mathcal{L},h0}} \quad \frac{dJ_{e,h}(x)}{dx} = \alpha_{e,h} \cdot J_{e,h}(x)$$

 $\alpha_{e,h}$ - ionization coefficients for electrons and holes: $\alpha_{e,h} = \alpha_{e,h}(\mathcal{E})$ When $\alpha_{h} = 0$: $M_{e} = e^{\alpha_{e}\mathcal{L}}$ When $\alpha = \alpha \cdot M_{e} - (1 - \alpha \cdot \mathcal{L})$

When $\alpha_e = \alpha_h : M_e = (1 - \alpha \cdot \mathcal{L})^{-1}$

Avalanche process sketch. The case when only electrons can ionize ($\alpha_{\rm h}{=}0)$

Avalanche breakdown occurs when $\alpha {\cal L} \sim 1$ and $M \to \infty$ GaAs: ${\cal E}$ =3.10 5 V/cm, α_e =10 $^4 cm^{\text{-1}}$

 \mathcal{E} =5.10⁵ V/cm, $\alpha_{\rm e}$ =10⁵cm⁻¹

Avalanche photodiodes (APD)

Schematic of InP-based separate-absorptionmultiplication (SAM) APD for optical communication systems (λ =1,3; 1.55µm)



Typical parameters

diameter: 10 -100mm; dark current: pA-nA; RC ~ 35ps; C ~ 0.5pF; Gain M ~ 10-100; Gain-Bandwidth product $M\mathcal{B} \leq 100$ GHz

Avalanche photodiodes (APD) Noise in APD

Multiplication process adds new component to the device noise.

In APD, not only there are fluctuations in the carrier arrival times, but in the number of carriers as well. The variation in the number of carriers arises from random nature of the multiplication process; each initial photogenerated carrier gives rise to a random number of secondary e-h pairs.

Shot noise in APD
$$\langle i_S^2 \rangle = 2q \cdot B \cdot (I_{ph} + I_B + I_D) \cdot \langle M \rangle^2 \cdot F(M)$$

 $_{F(M) - \text{ excess noise factor.} For InGaAs F(M) \sim 5.$

$$\frac{S}{N} = \frac{i_{ph}^{2}}{\langle i_{S} \rangle^{2} + \langle i_{J} \rangle^{2}} = \frac{\left(\frac{q\eta \cdot P_{\nu 0}}{h\nu}\right)^{2}}{2qB \cdot \left(I_{ph} + I_{B} + I_{D}\right) \cdot F(M) + \frac{4k_{B}T \cdot \mathcal{K}}{R_{eq} \langle M \rangle^{2}}}$$