

Solutions for IPC problems (Cont.)

- Message passing (Cont.)

- Design issues

- * Blocking vs. nonblocking send/receive
- * Message format
- * Queueing discipline

- Solving producer consumer problem with message passing

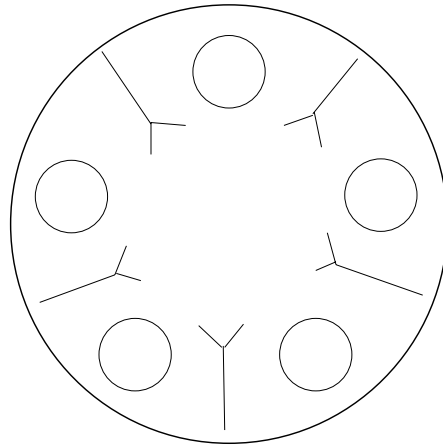
- Equivalence of IPC primitives

- Semaphores \Rightarrow monitors
- Semaphores \Rightarrow message passing
- Monitors \Rightarrow semaphores

Some Classical IPC problems

The dining philosophers problem

- **Problem description**



- Five philosopher sit around a round table, and each of them has one fork.
 - Activities: eating and thinking.
 - To eat, need two adjacent forks.
 - Goal: no starvation.
- Useful for modeling processes that are competing for exclusive access to a limited number of resources, such as tape drive or other I/O devices.

- **Problems with solution 2:**

Assume Philosophers 1 and 4 eat for a long time and Philosophers 2 and 3 eat for a short time. A possible execution sequence:

1. 4 and 1 eating.
2. 0 and 3 become hungry (blocked).
3. 4 finishes eating and checks neighbors.
4. 0 IS NOT ALLOWED TO EAT, but 3 is allowed to eat.
5. 4 becomes hungry again.
6. 3 finishes eating and allows 4 to eat again.
7. 1 finishes, 0 IS STILL NOT ALLOWED TO EAT because of 4.
8. 2 is allowed to eat.
9. 1 becomes hungry again.
10. 2 finishes and allows 1 to eat.
11. repeat, 0 IS NEVER ALLOWED TO EAT.

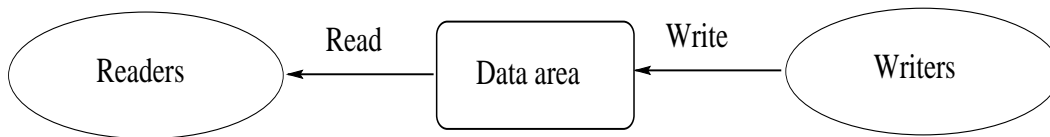
- A working solution

```
#define N 5
typedef int semaphore;
semaphore fork[N]; /* initially 1; */
semaphore room = 4;
/* allow 4 in the dining room */

philosopher(i)
int i;
{while (TRUE) {
think();
down(room); /* get into dining room */
down(fork[i]); /* get left fork */
down(fork[(i+1)%5]); /* get right fork */
eat();
up(fork[(i+1)%5]); /*put back right fork*/
up(fork[i]); /* put back left fork */
up(room); /* get out of dining room */
}
}
```

The readers and writers problem

- **Problem description:**



- A data area (file or memory) shared among a number of processes.
- Some processes (readers) only read the data area.
- Other processes (writers) only write to the data area.

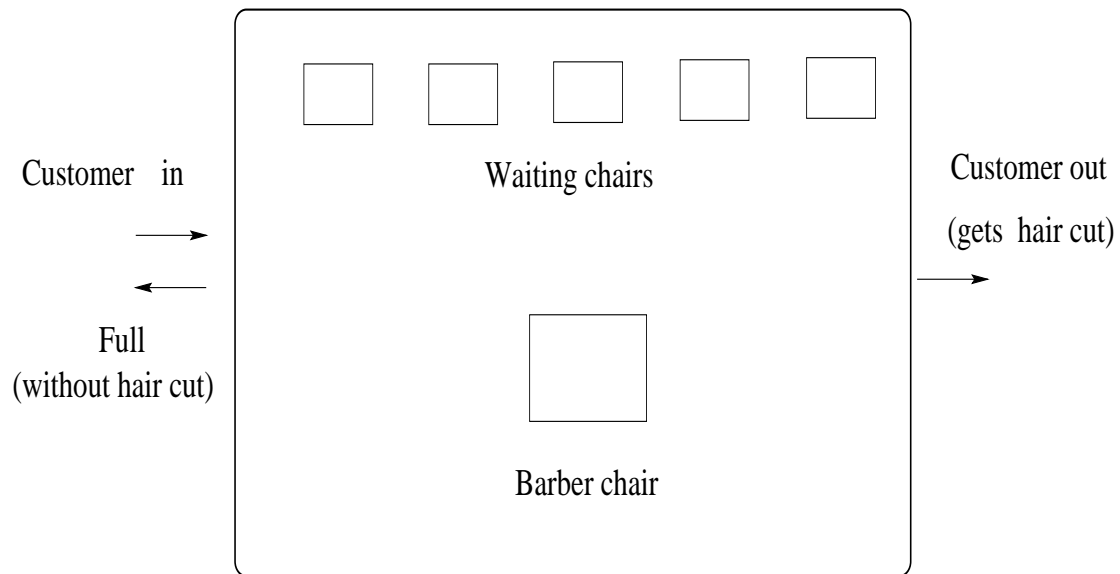
- **Conditions must be satisfied:**

1. Any number of readers may simultaneously read the data area.
2. Only one writer at a time may write to the data area.
3. If a writer is writing to the data area, no readers may read it.

- **Special type of mutual exclusion problem. Special solution can do better than general solution.**
- **Solution one:**
Readers have priority. Unless a writer is currently writing, readers can always read the data.
- **Solution two:**
Writers have priority.
Guarantee no new readers are allowed when a writer wants to write.
- **Other possible solutions:**
Weak reader's priority or weak writer's priority.
Weak reader's priority: An arriving reader still has priority over waiting writers. However, when a writer departs, both waiting readers and waiting writers have equal priority.

The sleeping barber problem:

● Problem description



When no customer, barber sleeps.

If no waiting chair, customer leaves.

● Solution:

CPU scheduling

- **Resources:** the things operated on by processes. Resources ranges from CPU time to disk space, to I/O channel time.

- **Resource fall into two classes:**
 - **Preemptive:**
Can take resource away. Use it for something else, then give it back later.

Examples: processor or I/O channel.

 - **Non-preemptive:**
Once given, it cannot be reused until process gives it back.
Examples: file space and terminal.

 - **Anything is preemptive if it can be saved and restored.**

- O.S. makes two related kinds of decisions about resources:
 - Allocation: Who gets what.
Given a set of requests for resources, which process should be given which resources in order to make most efficient use of the resources.

 - Scheduling: How long can they keep it.
When more resources are requested than can be granted immediately, in which order should they be served?
Examples: processor scheduling and memory scheduling (virtual memory).

- Resource # 1: the processor.

- Processes may be in any one of three general scheduling states:
 - Running
 - Ready
 - Blocked

- **Criteria for a good scheduling algorithm:**
 1. **Fairness:** every process gets its fair share of CPU.
 2. **Efficiency (utilization):** keep CPU busy.
 3. **Response time:** minimize response time for interactive users.
 4. **Throughput:** maximize jobs per hour.
 5. **Minimize overhead (context swaps).**

- **Context switch:** changing process. Include save and load registers and memory maps and update misc tables and lists.

- **Clock interrupt:** Clock interrupt occurs at fixed time interval (for 60 Hertz AC frequency, 60 times per second) and O.S. scheduler can run. Every interrupt is called a clock tick (a basic time unit in computer systems).

CPU scheduling algorithms

- **First in first out (FIFO or FCFS)**
 - Run until finished, usually “finished” means “blocked.” Process goes to the back of run queue when ready.
 - **Problem:** one process can dominate the CPU.
 - **Solution:** limit the maximum time that a process can run without a context switch. The time is called quantum or time slice.

- **Round robin scheduling**

- Maintain a list of runnable processes.
- Run process for one quantum then move to the back of queue. Each process gets equal share of the CPU.
- If process blocks (say for I/O or semaphore) than remove it from queue and start running next process in queue.
- If process becomes runnable, add it to end of queue.
- Length of quantum:

Short: too much overhead

Long: poor response time

In general: about 100 ms (or about 10K-100K instructions)

● Priority scheduling

- Assign each process a priority.
- Run the runnable process with the highest priority.
- How to assign priority:
 - I/O bound jobs have higher priority
 - CPU bound jobs have lower priority
 - If a job uses $\frac{1}{f}$ of the quantum, then
 - Priority = f .
- Unix command “nice.”
- Problem: high priority job may dominate CPU.
- Solution: decrease priority of running process at each clock tick (dynamic priority).

- **Priority classes**

- Combine round robin and priority.
- Group processes into priority classes.
- Use priority scheduling among the classes.
- Use round robin within each class.
- Classes may have different quantum.
- Adaptively change quantum: exponential queue
 - * Give newly runnable process a high priority and a very short quantum.
 - * If process uses up the quantum without blocking then decrease priority by 1 and double quantum for next time.

– **Example:**

Two processes P_1 and P_2 .

P_1 : doing 1 ms computation followed by 10 ms I/O.

P_2 : doing all computation.

Initial quantum = 100 ms.

1. P_1 : priority 100 uses 1 ms CPU, blocked for 10 ms and then becomes ready again.

P_2 : priority 100 uses 100 ms CPU, switched out.

2. P_1 : priority 100 uses 1 ms CPU, blocked for 10 ms and then becomes ready again.

P_2 : priority 99 uses 200 ms CPU, switched out.

⋮

- **Round robin may produce bad results:**

Example: Ten processes, each requires 100 quantum.

In round robin: each takes about 1000(10×100) quantum to finish.

In FIFO, they would require average 500 quantum to finish.

- **How can we minimize the average response time (or turnaround time)?**

Review

Classical IPC problems (Cont.)

- **The readers and writers problem**
 - Solution one: Readers have priority
 - Solution two: Writers have priority

- **The sleeping barber problem**

CPU scheduling

- **Concepts:**
 - Resources
 - Preemptive resources
 - Non-preemptive resources

- **Two things O.S. does on resources:**
 - Allocation
 - Scheduling

- **Shortest job first**

- Suitable to batch system. Non-preemptive policy.
- Must know the runtime or estimate runtime of each process.
- All jobs are available at system start-up time.
- Schedule the jobs according to their runtimes.
- Optimal with respect to average turnaround time.

– **Example of four jobs.**

Four jobs	A	B	C	D
Runtimes (min)	8	4	4	4

1. Run in order A B C D:

Jobs Turnaround times

A: 8

B: $8 + 4 = 12$

C: $8 + 4 + 4 = 16$

D: $8 + 4 + 4 + 4 = 20$

Average Turnaround Time

$$\text{ATT} = \frac{8+12+16+20}{4} = 14 \text{ (min)}$$

2. Run in the order B C D A:

Jobs Turnaround times

B: 4

C: $4 + 4 = 8$

D: $4 + 4 + 4 = 12$

A: $4 + 4 + 4 + 8 = 20$

Average Turnaround Time

$$\text{ATT} = \frac{4+8+12+20}{4} = 11 \text{ (min)}$$

– **General proof.**

1. For Four jobs.

Suppose the runtimes for jobs A, B, C and D are a, b, c and d respectively. Run in the order A B C D.

Average Turnaround Time:

$$\begin{aligned}\mathbf{ATT} &= \frac{1}{4}[a + (a + b) + (a + b + c) + (a + b + c + d)] \\ &= \frac{1}{4}(4a + 3b + 2c + d)\end{aligned}$$

a has the largest coefficient \Rightarrow must be the smallest

2. For n jobs.

n jobs	J_1	J_2	\dots	J_n
Runtimes	T_1	T_2	\dots	T_n

Run in order J_1, J_2, \dots, J_n .

Jobs Turnaround times

$$J_1 \quad T_1$$

$$J_2 \quad T_1 + T_2$$

$$J_3 \quad T_1 + T_2 + T_3$$

\vdots

$$J_i \quad T_1 + T_2 + \dots + T_i$$

\vdots

$$J_n \quad T_1 + T_2 + \dots + T_n$$

Average Turnaround Time:

$$\mathbf{ATT} = \frac{1}{n} [nT_1 + (n-1)T_2 + (n-2)T_3 + \dots + (n-i+1)T_i + \dots + 2 \cdot T_{n-1} + T_n]$$

We want to prove:

if $T_1 \leq T_2 \leq \dots \leq T_n$, then ATT is optimal (smallest).

Prove it by contradiction.

Suppose for some $1 \leq i < j \leq n$, we have

$$T_i > T_j.$$

Note that we have $(n - i + 1)T_i$ and $(n - j + 1)T_j$ in ATT, but

$$n - i + 1 > n - j + 1.$$

We can always reduce the ATT by exchanging the running order of J_i and J_j . That is,

$$(n-i+1)T_j + (n-j+1)T_i < (n-i+1)T_i + (n-j+1)T_j$$

Thus, shortest job first is optimal.

- If jobs are not available at the beginning, the shortest job first may not be optimal.

A counterexample.

Five jobs:	A	B	C	D	E
Runtimes:	2	4	1	1	1
Arrive times:	0	0	3	3	3

1. Run in order A B C D E (shortest job first).

Jobs	Turnaround times
A	2
B	$2 + 4 = 6$
C	$6 - 3 + 1 = 4$
D	$4 + 1 = 5$
E	$5 + 1 = 6$

$$\mathbf{ATT} = \frac{2+6+4+5+6}{5} = \frac{23}{5}$$

2. Run in order B C D E A.**Jobs Turnaround times****B** 4**C** $4 - 3 + 1 = 2$ **D** $2 + 1 = 3$ **E** $3 + 1 = 4$ **A** $4 + 3 + 2 = 9$

$$\mathbf{ATT} = \frac{4+2+3+4+9}{5} = \frac{22}{5}$$

– **How to use shortest job first in an interactive system**

- * **Consider each command as a job**
- * **Estimate the runtime for a command (job) based on past runtime.**

T_0 : **estimated runtime per command for some terminal**

T_i : **runtime for the i th command ($i \geq 1$)**

S_i : **predicted runtime for the i th ($i \geq 1$) command**

Recurrence:

$$S_1 = T_0$$

$$S_{n+1} = aT_n + (1 - a)S_n, \quad 0 \leq a \leq 1, n > 1$$

Closed form:

$$\begin{aligned} S_{n+1} = & aT_n + (1 - a)aT_{n-1} + \cdots + \\ & +(1 - a)^i aT_{n-i} + \cdots + \\ & +(1 - a)^{n-1} aT_1 + (1 - a)^n T_0 \end{aligned}$$

Let $a = \frac{1}{2}$,

$$S_{n+1} = \frac{1}{2}T_n + \frac{1}{2^2}T_{n-1} + \cdots + \\ + \frac{1}{2^{i+1}}T_{n-i} + \cdots + \frac{1}{2^n}T_1 + \frac{1}{2^n}T_0$$

* **Aging algorithm:**

Estimate the next value in a series by taking the weighted average of the current measured value and previous estimate.

* **Possibility of starvation of longer jobs.**

- **Guaranteed scheduling (fair share scheduling)**

n users logged in, each user receives about $\frac{1}{n}$ of the CPU time.

– **Keep track of:**

How long each user logged in

How much time a user used

– **Compute:**

CPU time entitled for a user = $\frac{\text{logged in time}}{n}$

Ratio = $\frac{\text{used time}}{\text{entitled time}}$

– **Choose the lowest ratio process to run until its ratio has moved above its closest competitor.**

- **Two-level scheduling**

- **Lower-level: scheduling among the processes in memory**
- **Higher-level: scheduling between disk and memory**

Criteria for higher-level scheduling:

- 1. Time the process stays in memory**
- 2. CPU time of the process**
- 3. Size of process**
- 4. Priority of the process**

- **Summary for scheduling algorithms:**
 - In principle, scheduling algorithm can be arbitrary, since the system should produce the same results in any event (get the job done).
 - However, the algorithms have strong effects on the system's overhead, efficiency and response time.
 - The best schemes are adaptive. To do absolutely best, we have to be able to predict the future.
 - Best scheduling algorithms tend to give highest priority to the process that needs the least!